
Addendum
to the
Introduction to Modula-2

Section 2. Declarations / 2. Constant Declarations

e) Floating Point Numbers / REALs

Floating point constants in Modula-2 are similar to Pascal floating point constants.

The syntax of a REAL constant as accepted by the compiler is:

RealConstant	=	Sign	Number	'.'	{Number}	{'E' Sign Number}.
Sign	=	{ '+' '-' }.				
Number	=	Digit {Digit}.				
Digit	=	'0' .. '9'.				

NOTE - The **decimal point ('.')** is a required part of a REAL constant. This ensures that the compiler can detect REAL numbers in the INTEGER or CARDINAL range as such. Modula-2 does no implicit type conversions between INTEGER, CARDINAL and REAL.

Examples:

1.0 10.5 0.7689432101 1.05E10 1.1009809E-20

but NOT 1E1 14 1E1.7 .05

REAL constants may be in the range 0.0 up to $1.7014118 \cdot 10^{38}$, for negative as well as positive numbers. The smallest representable floating point number is $2.94 \cdot 10^{-39}$. So, the range is 2^{-128} up to, but not including, 2^{127} . The resolution of the chosen format is one part out of 2^{24} , or about 7.2 decimal digits. Consider that the difference between two representable numbers near the maximum REAL number is about $\text{maxReal}/\text{mantissa-range}$. The mantissa range is 24 bits or 2^{24} possible values. This means, that $2^{(127-24)} = 2^{103}$ or about 10^{31} is the difference between two adjacent representable numbers. Adding 1 to a number near $\text{MAX}(\text{REAL})$ doesn't make any sense, though.

WARNING - No REAL constant expressions may be specified. The compiler does not include the code to evaluate such expressions.